GBCS SCHEME

**BCV401** 

## Fourth Semester B.E./B.Tech. Degree Examination, June/July 2024 Analysis of Structures

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Time: 3 hrs.

Max. Marks: 100

Note: 1. Answer any FIVE full questions, choosing ONE full question from each module. 2. M : Marks , L: Bloom's level , C: Course outcomes.

|     |            | Module – 1  | Μ  | L  | С   |
|-----|------------|---|----|----|-----|
| Q.1 | a.         | Differentiate between statically determinate and indeterminate beams with an example for each.  | 06 | L1 | C01 |
|     | b.         | Define degree of freedom. What is the degree of freedom for a :   | 04 | L1 | C01 |
|     | <i>D</i> . | (i) Fixed support (ii) Hinged support   | 04 | LI | COI |
|     | c.         | Determine static and kinematic indeterminacy for the following structures<br>shown in Fig.Q1(c).<br>i)<br>A $f$   | 10 | L3 | COI |
| Q.2 | a.         | Fig.Q1(c)<br>OR<br>Determine the forces in all the members of the truss shown in Fig.Q2(a),<br>adopting method of joints.   | 10 | L3 | COI |
|     |            | $\frac{2 c k v}{3 m} = \frac{2 c k v}{3 m} = \frac{1}{3 m}$   |    |    |     |
|     | b.         | Determine the forces in all the members listed below using method of<br>sections. [Refer Fig.Q2(b)]<br>(i) Force in member CD (ii) Force in member CG<br>(iii) Force in member FG.<br>5kN<br>2.5kN<br>A<br>2.5kN<br>A<br>2.5kN<br>A<br>2.5kN<br>A<br>2.5kN<br>A<br>2.5kN<br>A<br>2.5kN<br>A<br>2.5kN<br>A<br>2.5kN<br>A<br>2.5kN<br>A<br>2.5kN<br>A<br>2.5kN<br>A<br>2.5kN<br>A<br>2.5kN<br>A<br>2.5kN<br>A<br>2.5kN<br>A<br>2.5kN<br>A<br>2.5kN<br>A<br>2.5kN<br>A<br>2.5kN<br>A<br>2.5kN<br>A<br>2.5kN<br>A<br>2.5kN<br>A<br>2.5kN<br>A<br>2.5kN<br>A<br>2.5kN<br>A<br>2.5kN<br>A<br>2.5kN<br>A<br>2.5kN<br>A<br>A<br>2.5kN<br>A<br>A<br>A<br>A<br>A<br>A<br>A<br>A<br>A<br>A | 10 | L3 | CO1 |
|     |            | Fig.Q2(b)   |    |    |     |

|     |    |  | BCV401 |    |     |
|-----|----|--|--------|----|-----|
|     |    | Module – 2   |        |    |     |
| Q.3 | a. | Determine slope and deflection under the load for the beam as shown in Fig.Q3(a), using moment area method.  | 10     | L3 | CO2 |
|     |    | $\begin{array}{cccccccccccccccccccccccccccccccccccc$   |        |    |     |
|     | b. | Calculate the slope at support A and deflection at the centre of a simply supported beam as shown in Fig.Q3(b) by moment area method.<br>$A = \frac{10kN}{2m} \frac{2kN/m}{C} \frac{2m}{2m} \frac{B}{Fig.Q3(b)}$   | 10     | L3 | CO2 |
| Q.4 | a. | OR<br>Obtain an expression for strain energy stored in a member when it is   | 10     | L2 | CO2 |
|     | b. | subjected to (i) Bending moment (ii) Shear<br>Find the deflection under the load for the beam shown in Fig.Q4(b), by<br>using Castiglino's theorem. Take $E = 2 \times 10^8$ kN/m <sup>2</sup> and $I = 14 \times 10^{-6}$ m <sup>4</sup> .  | 10     | L3 | CO2 |
|     |    | Fig.Q4(b)<br>Module – 3  |        |    |     |
| Q.5 | а. | A symmetrical 3-hinged parabolic arch has a span of 25 m. It carries a UDL of intensity 20 kN/m over the entire span and 2 point loads of 20 kN each at 3 m and 6 m from the left support. Compute the reactions at the supports and also find the bending moment, radial shear and normal thrust at a section 4m from the left end. Take central rise as 5m.  | 12     | L3 | CO  |
|     | b. | Show that the shape of parabolic arch is a funicular shape for a three hinged arch subjected to UDL over its entire span.  | 08     | L2 | CO3 |
| Q.6 |    | <b>OR</b><br>A symmetrical unstiffened suspension cable is parabolic in shape and has a span of 300 m and a dip of 30 m. It supports a UDL of 20 kN/m over the whole span. If the maximum allowable stress is 150 N/mm <sup>2</sup> , determine the length and area of the cable. What would be the increase in length and sag for a rise of temperature of 50°F. Given, coefficient of expansion, $\alpha = 6 \times 10^{-6}$ per °F. | 20     | L3 | CO3 |
| Q.7 |    | Module – 4<br>Analyze the beam completely by slope deflection method, when support B<br>sinks by 1 mm and support C rises by 0.5 mm. Take EI = 30000 kN.m <sup>2</sup> .<br>Refer Fig.Q7. Draw BMD, SFD and Elastic Curve.   | 20     | L3 | CO  |
|     |    | $A = \frac{B_{max}}{Fig.Q7} C$   |        |    |     |
|     |    | 2 of 3   |        |    |     |

